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## 1.1 - Points, Lines, and Planes

Name each line two different ways.

2.


Name each line segment or ray two different ways.
3.

4.

5.


Use the figure below for Exercises 6-13. Note that $\overleftrightarrow{R N}$ pierces the plane at $N$. It is not coplanar with $V$.

9. What are two other ways to name plane $V$ ?
10. Are points $R, N, M$, and $X$ coplanar?
6. Name two segments shown in the figure.
11. Name two rays shown in the figure.
7. What is the intersection of $\overleftrightarrow{C M}$ and $\overleftrightarrow{R N}$
12. Name the pair of opposite rays with endpoint $N$.
8. Name three collinear points.
13. How many lines are shown in the drawing?

For Exercises 14-19, determine whether each statement is always (A), sometimes( $S$ ), or never ( $N$ ) true.
14. $\overrightarrow{G H}$ and $\overrightarrow{H G}$ are the same ray. $\qquad$
15. $\overrightarrow{J I}$ and $\overrightarrow{J L}$ are opposite rays. $\qquad$
16. A plane contains only three points. $\qquad$
17. Three noncollinear points are contained in only one plane. $\qquad$
18. If $\overleftrightarrow{E G}$ lies in plane $X$, point $G$ lies in plane $X$. $\qquad$
19. If three points are coplanar, they are collinear. $\qquad$
20. Reasoning: Is it possible for one ray to be shorter in length than another? Explain.
21. Open-Ended: Draw a figure of two planes that intersect in $\overleftrightarrow{S T}$.
22. Draw a figure to fit each description
a. Through any two points there is exactly one
b. Two distinct lines can intersect in only one point.
23. Reasoning: Point $F$ lies on $\overrightarrow{E G}$ and point $M$ lies on $\overrightarrow{E N}$. If $F, E$, and $M$ are collinear, what must be true of these rays?

Use the figure for Exercises 24-28. Name the intersection of each pair of planes or lines.
24. planes $A B P$ and $B C D$
27. planes $B C D$ and $B C Q$
25. $\overleftrightarrow{R Q}$ and $\overleftrightarrow{R O}$
28. $\overleftrightarrow{O P}$ and $\overleftrightarrow{Q P}$

26. planes $A D R$ and $D C Q$

